

Clearly show all work when needed.

1. Graph each quadratic in your calculator and determine the following (nearest tenth):
 - a) $y = 0.8x^2 - 3x - 6$

Vertex:
Axis of symmetry:
y-intercept:
x-intercept(s):
Domain (set notation):
Range (set notation):
 - b) $f(x) = -0.3x^2 + 16x + 15$

Vertex:
Axis of symmetry:
y-intercept:
x-intercept(s):
Domain (set notation):
Range (set notation):

2. A cricket jumps off a tree branch and follows a parabolic path until he lands on the ground below. The height (h) of the cricket in centimeters at time (t) in seconds after jumping is given by the function $h(t) = -0.4t^2 + 5t + 4$. Graph the function in your calculator and answer the following (nearest tenth if necessary).
 - a) What is the y-intercept? What does it mean?

 - b) What is the vertex? What does it tell you about the situation?

 - c) When does the cricket land on the ground?

 - d) State the domain and range in set notation.

3. Change the following quadratic functions to vertex form by completing the square:
 - a) $y = x^2 - 12x + 20$
 - b) $f(x) = -2x^2 - 8x - 3$
 - c) $y = x^2 + 3x + 1$

4. A farmer has 100 m of fencing to make a corral. One length of the corral will be along a barn so no fencing would be needed.
- Write a quadratic function in standard form that gives the area (A) of the corral as a function of its width (w).
 - Convert your function into vertex form.
 - What is the maximum area possible and what width will make it happen?
 - State the domain and range in set notation.
5. Last year the grad class sold chocolate bars to raise funds. They sold 2000 bars at a price of \$4 per bar. This year's class wants to raise the price but figures that for every dollar increase in the price they will sell 50 less chocolate bars.
- Write a quadratic that models the revenue (R) as a function of the cost increase (c).
 - What will be the maximum possible revenue and what chocolate bar cost produces it? (use graphing calculator or complete the square to solve)
 - State the domain of the function in set notation.